Assignment Information

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Assignment Format

- Investigating the impact of tie-breaking and re-expansions on A*, WA*, and GBFS
- Given a codebase with A* implemented
  - Will have to add WA* and GBFS
  - Will have to add different tie-breaking rules
  - Will have to add re-expansion options
- Three proofs as well

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Tie-Breaking

- In A*, you can have two nodes with the same f-cost
  - Which should you prefer?
- What about in WA* and GBFS?

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Re-Expansions

- Comparing WA* and GBFS when you reopen nodes and when you do not

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```
def OCL(s_I):
    OPEN ← {s_I}, CLOSED ← {},
    g(s_I) = 0, parent(s_I) = ∅
    while OPEN ≠ {}:
        p ← SelectNode(OPEN)
        if p is a goal, return path to p
        for c ∈ children(p):
            if c ∉ OPEN ∪ CLOSED:
                g(c) = g(p) + κ(p, c)
                parent(c) = p
                OPEN ← OPEN ∪ {c}
            else if g(c) > g(p) + κ(p, c):
                g(c) = g(p) + κ(p, c)
                parent(c) = p
                if c ∈ CLOSED:
                    OPEN ← OPEN ∪ {c}
                    CLOSED ← CLOSED − {c}
        OPEN ← OPEN − {p}, CLOSED ← CLOSED ∪ {p}
    return No solution exists
```

```
def OCL(s_I):
    OPEN ← {s_I}, CLOSED ← {},
    g(s_I) = 0, parent(s_I) = ∅
    while OPEN ≠ {}:
        p ← SelectNode(OPEN)
        if p is a goal, return path to p
        for c ∈ children(p):
            if c ∉ OPEN ∪ CLOSED:
                g(c) = g(p) + κ(p, c)
                parent(c) = p
                OPEN ← OPEN ∪ {c}
            else if g(c) > g(p) + κ(p, c):
                g(c) = g(p) + κ(p, c)
                parent(c) = p
                if c ∈ CLOSED:
                    OPEN ← OPEN ∪ {c}
                    CLOSED ← CLOSED − {c}
        OPEN ← OPEN − {p}, CLOSED ← CLOSED ∪ {p}
    return No solution exists
```

Node Reopening

```
def OCL(s_I):
    OPEN ← {s_I}, CLOSED ← {},
    g(s_I) = 0, parent(s_I) = ∅
    while OPEN ≠ {}:
        p ← SelectNode(OPEN)
        if p is a goal, return path to p
        for c ∈ children(p):
            if c ∉ OPEN ∪ CLOSED:
                g(c) = g(p) + κ(p, c)
                parent(c) = p
                OPEN ← OPEN ∪ {c}
            else if g(c) > g(p) + κ(p, c):
                g(c) = g(p) + κ(p, c)
                parent(c) = p
                if c ∈ CLOSED:
                    OPEN ← OPEN ∪ {c}
                    CLOSED ← CLOSED − {c}
        OPEN ← OPEN − {p}, CLOSED ← CLOSED ∪ {p}
    return No solution exists
```

```
def OCL(s_I):
    OPEN ← {s_I}, CLOSED ← {},
    g(s_I) = 0, parent(s_I) = ∅
    while OPEN ≠ {}:
        p ← SelectNode(OPEN)
        if p is a goal, return path to p
        for c ∈ children(p):
            if c ∉ OPEN ∪ CLOSED:
                g(c) = g(p) + κ(p, c)
                parent(c) = p
                OPEN ← OPEN ∪ {c}
            else if g(c) > g(p) + κ(p, c) and
                    c ∈ OPEN:
                g(c) = g(p) + κ(p, c)
                parent(c) = p
        OPEN ← OPEN − {p}, CLOSED ← CLOSED ∪ {p}
    return No solution exists
```

Re-Expansions

- Comparing WA* and GBFS when you reopen nodes and when you do not
  - How does this impact performance?

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Grid Pathfinding

- Pathfinding in a grid
- 4-connected means can move N, E, S, W
  - Every move costs 1
- 8-connected means can also move NE, SE, SW, NW
  - Diagonal moves cost square root 2
- Heuristics
  - Manhattan distance for 4-connected
  - Octile distance for 8-connected

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Sliding Tile Puzzle

- Classic grid puzzle where you slide tiles
  - All slides cost 1
- Using Manhattan distance heuristic

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A* Implementation

- Dijkstra's is O(|V|log|V| + |E|)
  - Why?

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A* Implementation

- NodeTable for OPEN and CLOSED list
  - Nodes are assigned a StateID
  - Hash table for Open-Closed list checking
- Priority Queue for OPEN list

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